

Flyrock Model Validation

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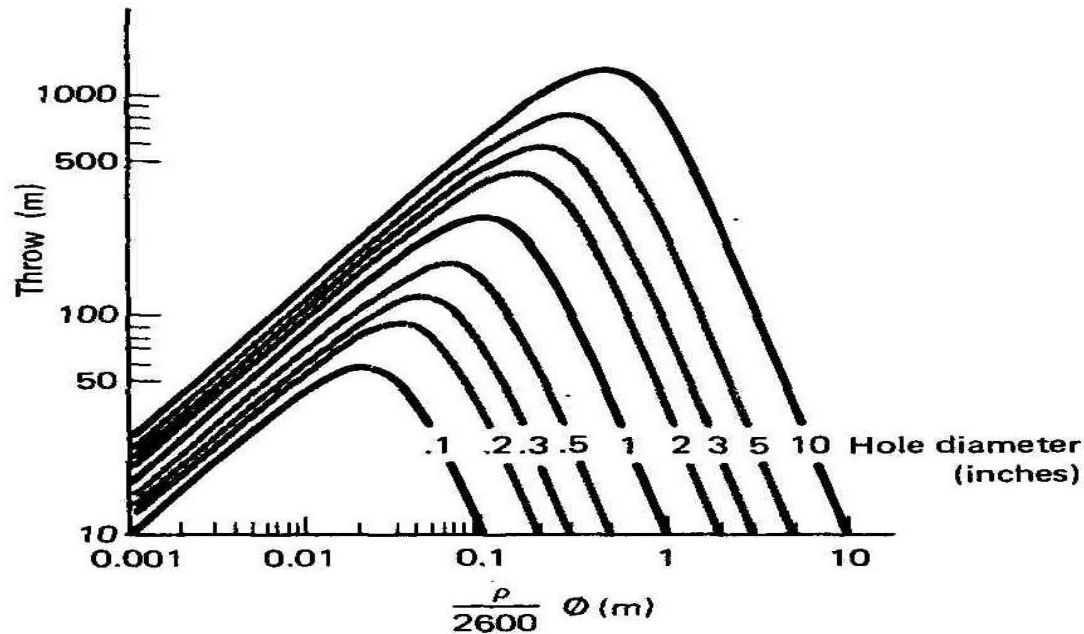
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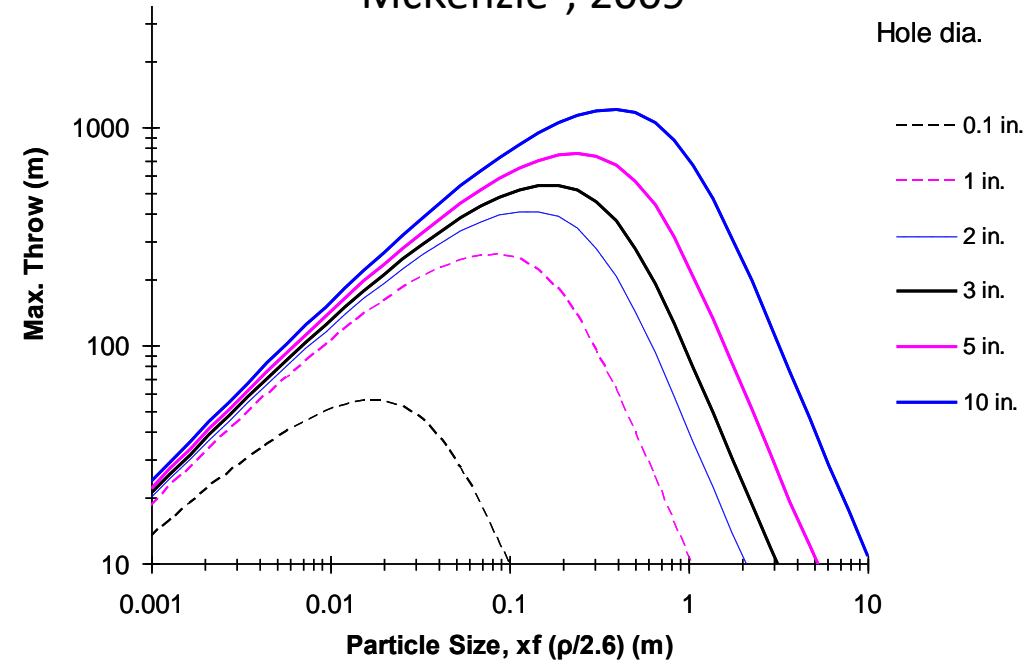


Flyrock Footprint & Hole Diameter

Lundborg¹, 1974



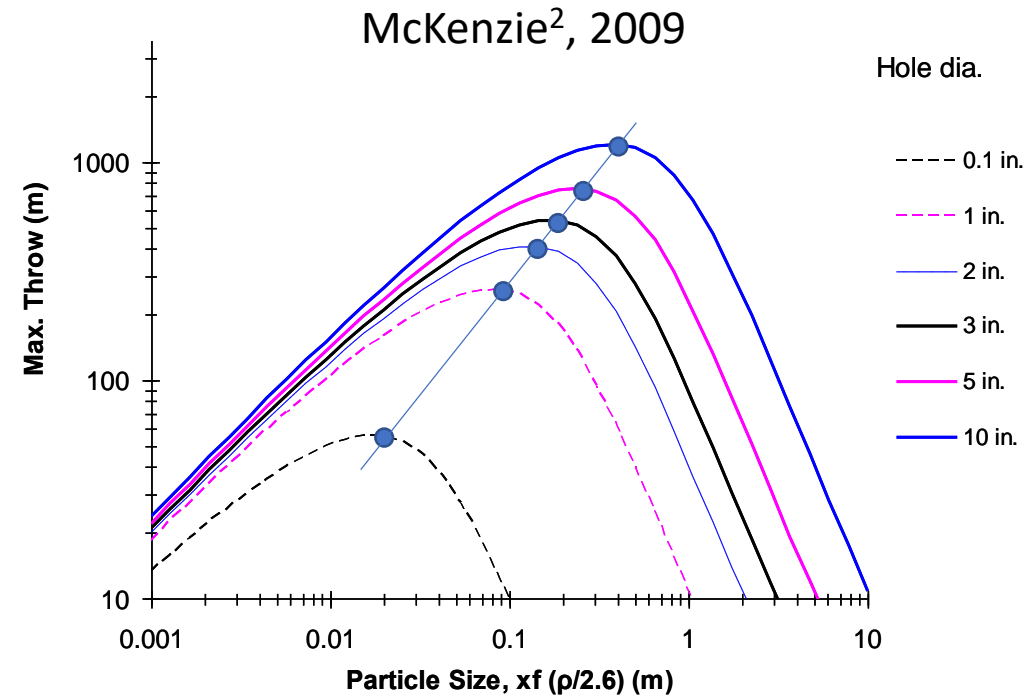
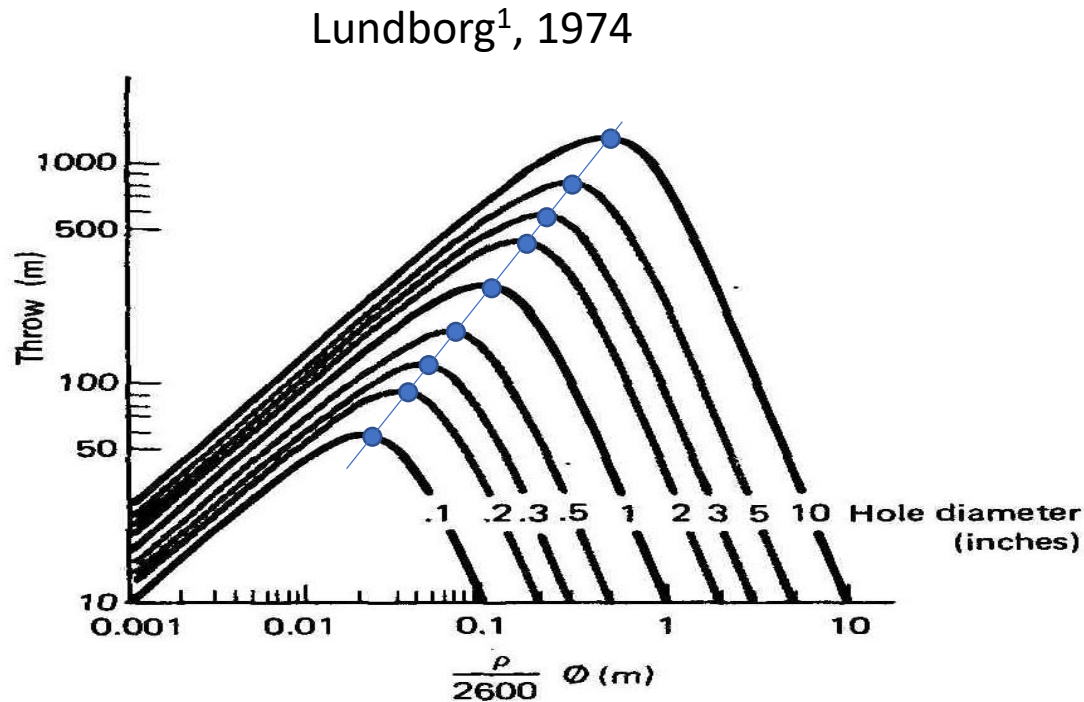
McKenzie², 2009



¹Lundborg, N., 1974. "The hazard of flyrock in rock blasting", Swedish Rock Blasting Committee, Stockholm, Sweden.

²McKenzie, C.K., 2009. "Flyrock Range & Fragment Size Prediction", 35th ISEE Annual Conference, Denver, CO, USA.

Flyrock Footprint & Hole Diameter



$$\text{Range} = 260 \times \text{Dia}^{2/3}$$

In Lundborg's equations, Dia is expressed in inches, and Range in metres

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Seminal Work & Findings by Lundborg

- Under crater-blast conditions $Max\ Range = 260 \times HoleDia^{0.667}$
- Under bench-blast conditions $Max\ Range \sim 40 \times HoleDia^{0.667}$
- Under extreme confinement conditions, $Max\ Range \sim metres$

In Lundborg's equations, *HoleDia* is expressed in inches, and *Max Range* in metres

For Crater Blasting (Lundborg)

- Impulse equations used to determine ejection characteristics
- Launch velocity of fragments depends on fragment size and density

$$V_0 = K_v \times \left(\frac{\emptyset}{x_f} \right) \times \left(\frac{2.6}{\rho_r} \right)$$

\emptyset = Hole dia (in)
 x_f = fragment size (m)
 ρ_r = rock density (g/cc)

- Launch velocity must be lower for bench blasting and heavily-confined charges, back-calculated to be:
 - $K_v = 10$ (crater blasting)
 - $K_v = 0.65$ (bench blasting)
 - $K_v = 0.11$ (heavily confined, stem = 40*Dia)

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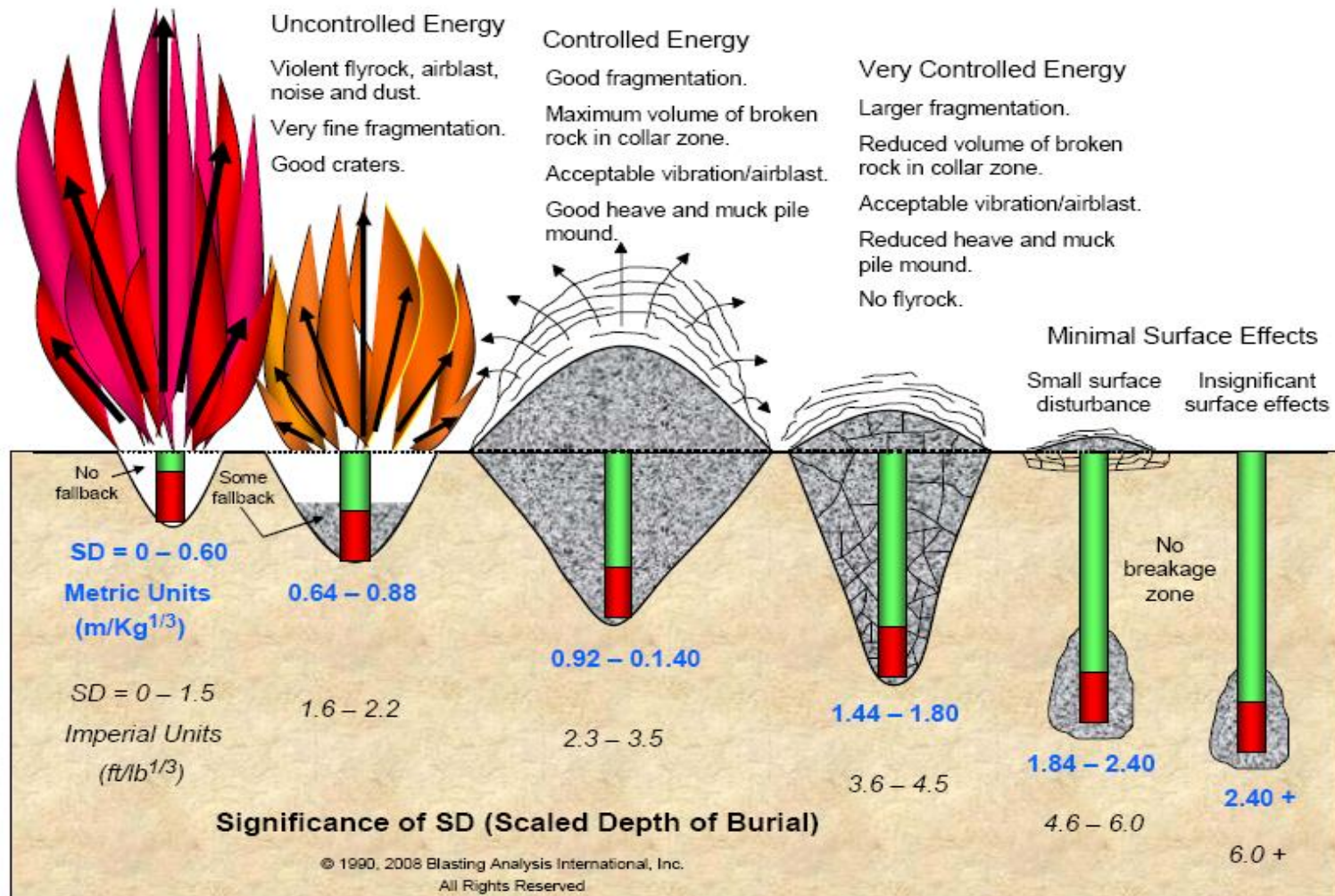
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From McKenzie (2009)

Scaled Depth of Burial: Driver for Launch Velocity



EXPANSION OF THE PANAMA CANAL

by

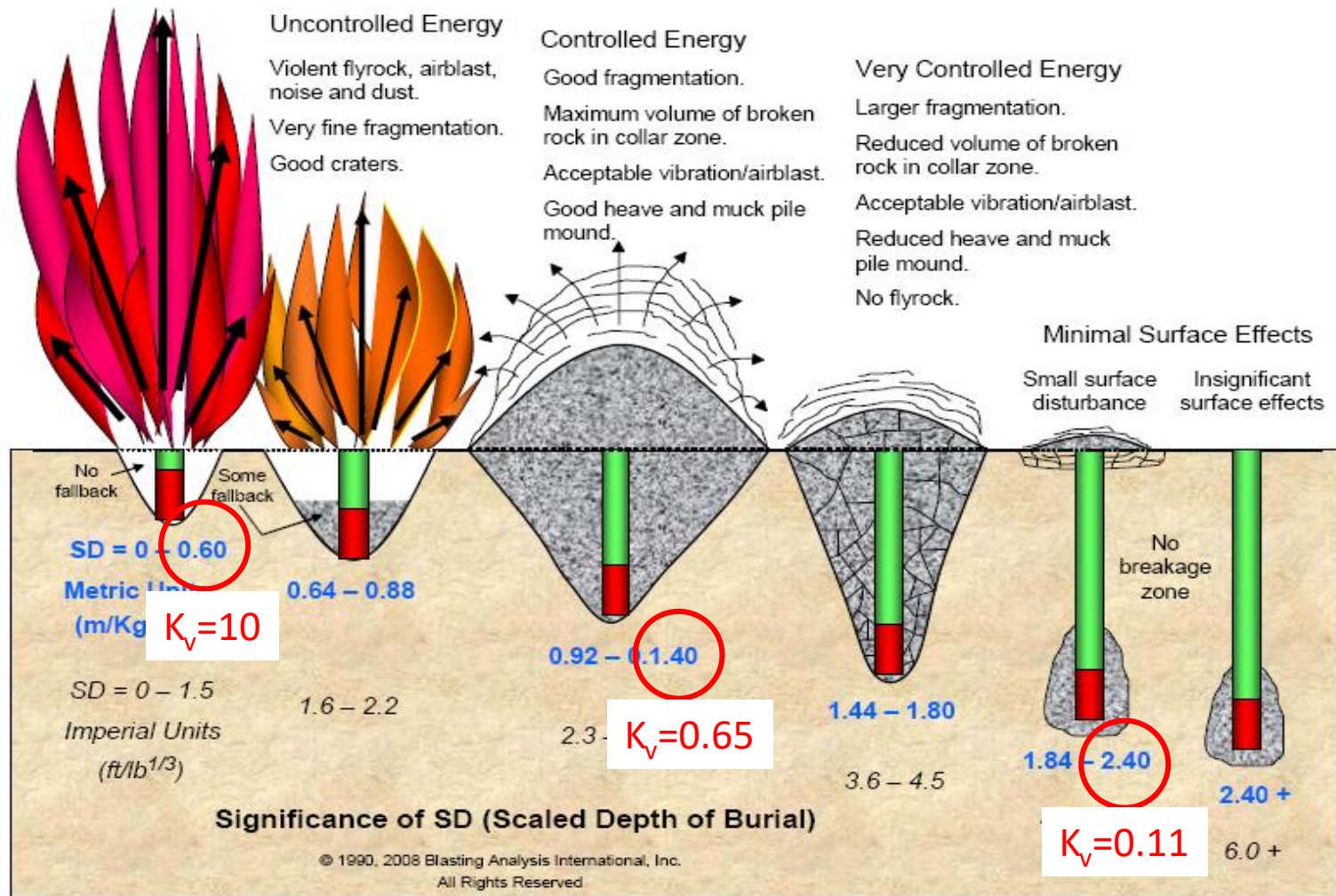
R. Frank Chiappetta
BLASTING ANALYSIS INTERNATIONAL INC.
Allentown, Pennsylvania, USA

Tom Treleaven
THE ENSIGN-BICKFORD COMPANY
Simsbury, Connecticut, USA

SEVENTH HIGH TECH SEMINAR
**Blasting Technology, Instrumentation
and Explosives Applications**

Orlando, Florida, USA
July 28 - August 1, 1997

Scaled Depth of Burial: Driver for Launch Velocity



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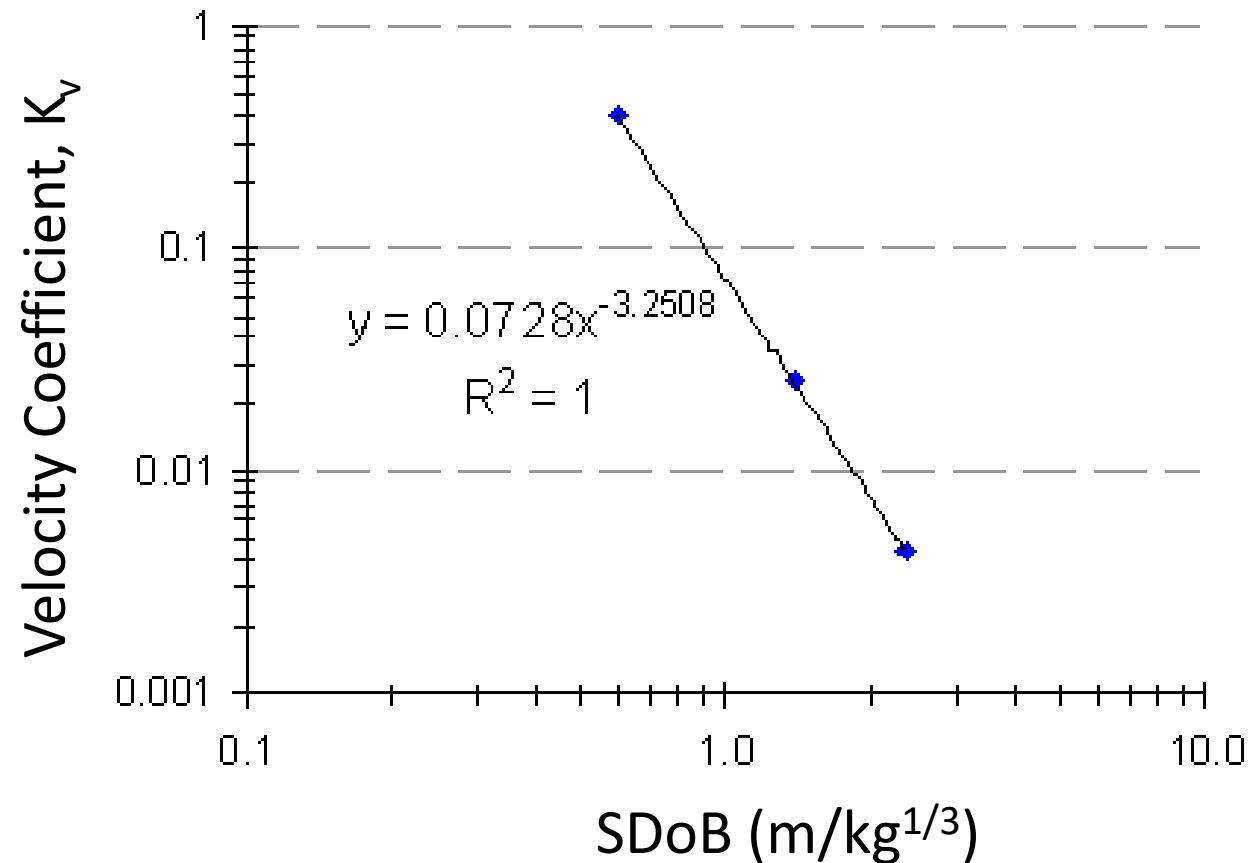
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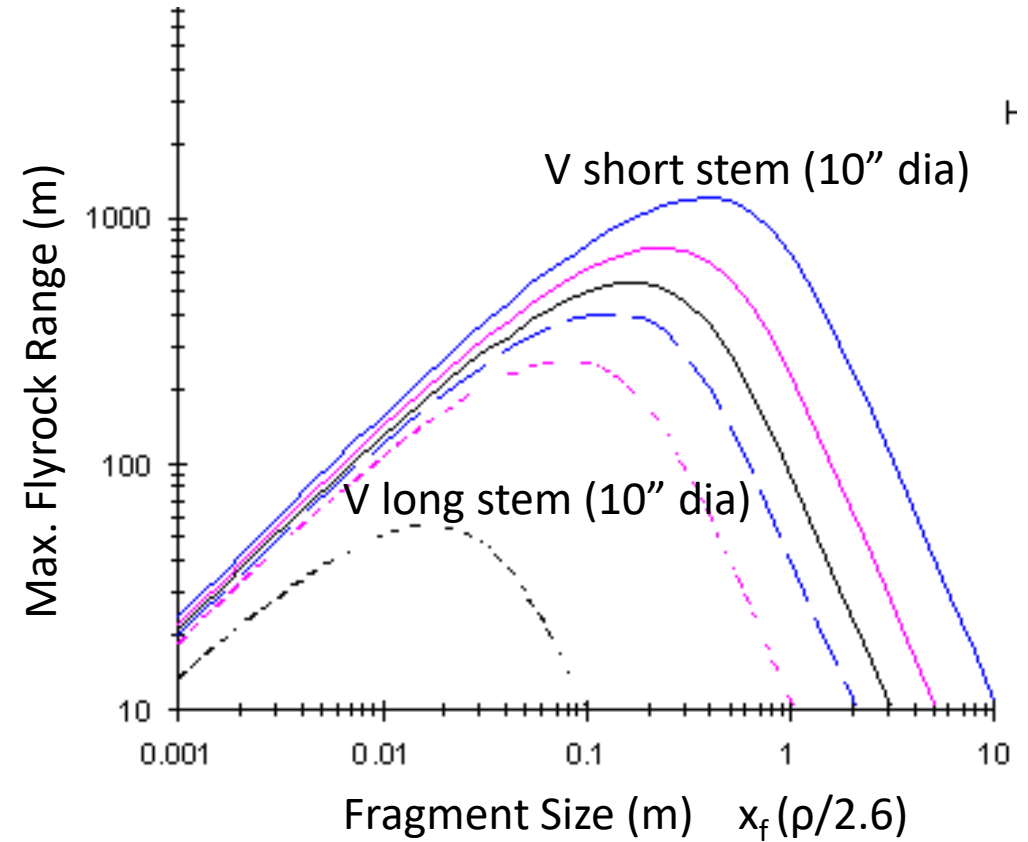
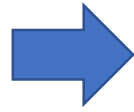
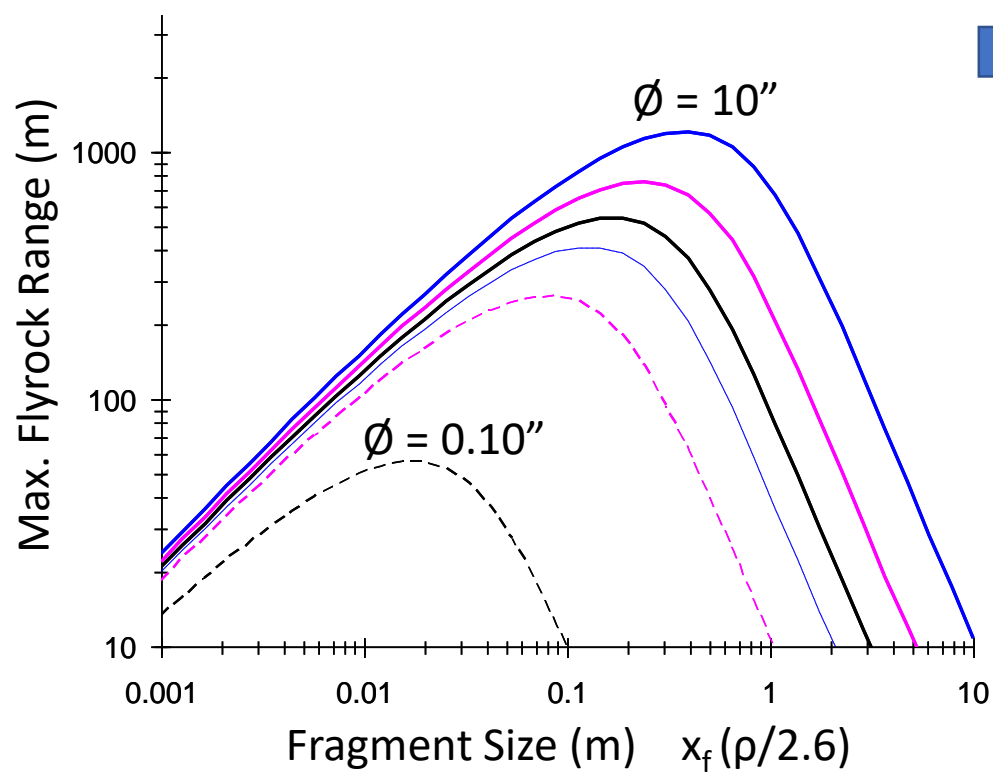
Orlando, Florida, USA
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Relating Launch Velocity to SDoB



After conversion from
mixed to metric units

Flyrock Footprint & SDoB (Stem Length)



Flyrock Model Summary

- Maximum flyrock range easily calculated:

$$Range_{max} = 10 \times SDoB^{-2.167} \times \emptyset^{0.667}$$

\emptyset = hole dia (mm), SDoB = Scaled Depth of Burial (m/kg^{1/3})

- Safe Clearance Distance easily calculated:

$$Dist_{clearance} = FoS \times Range_{max}$$

FoS = Factor of Safety

- Size of fragment easily calculated:

$$x_f^* = 3.1 \times SDoB^{-2.167} \times \emptyset^{0.667} \times \left(\frac{2.6}{\rho_r} \right)$$

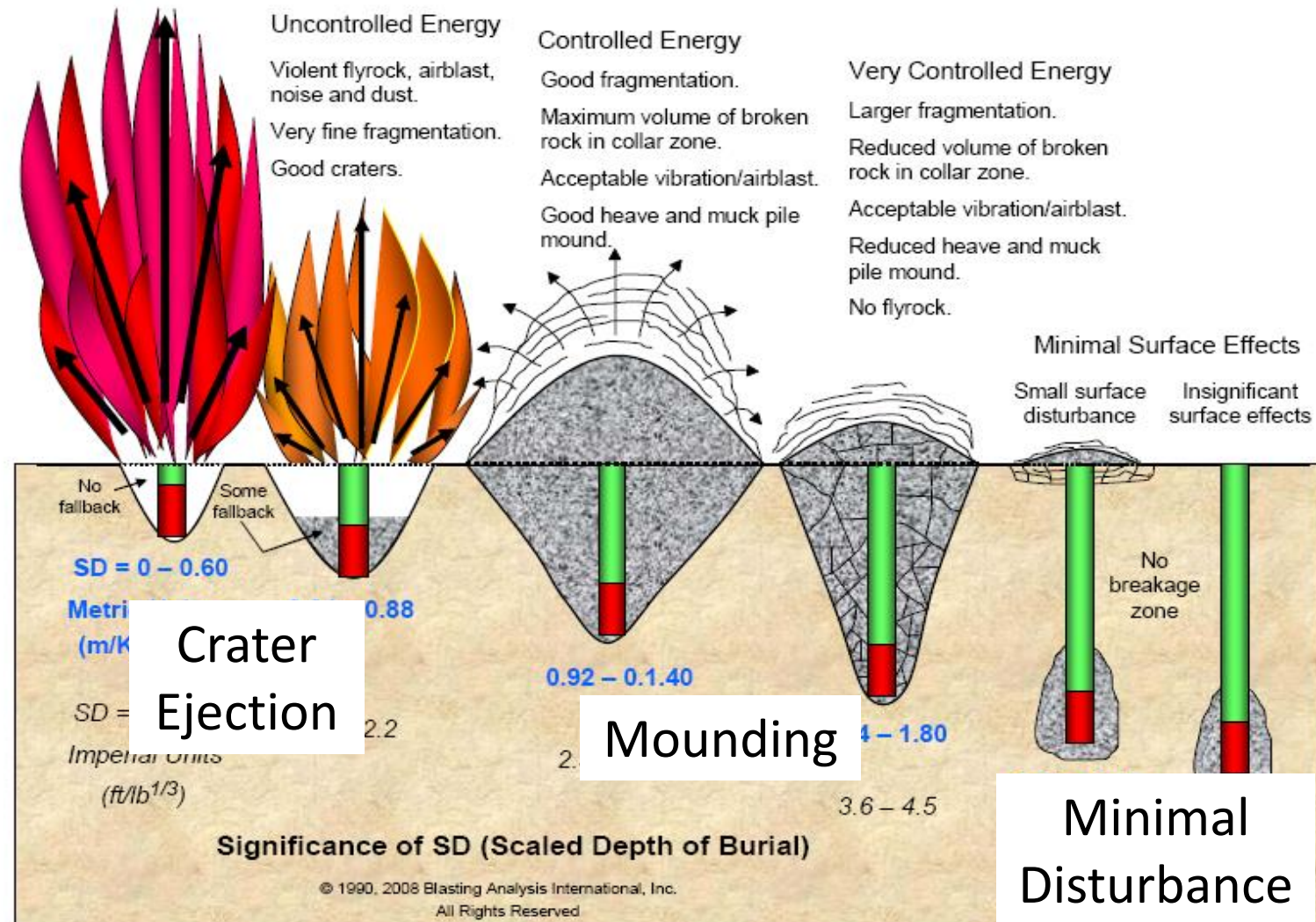
ρ_r = rock density (g/cc)

- Min. stem length easily calculated:

$$St_{min} = 0.03 \times \frac{(m\rho_{exp})^{0.333} \times \emptyset^{1.31}}{\left(\frac{Range_{max}}{FoS} \right)^{0.46}} - 0.0005 \times m \times \emptyset$$

ρ_{exp} = explosive density (g/cc)

Chiappetta's Scaled Depth of Burial (SDoB)



Minimal Disturbance



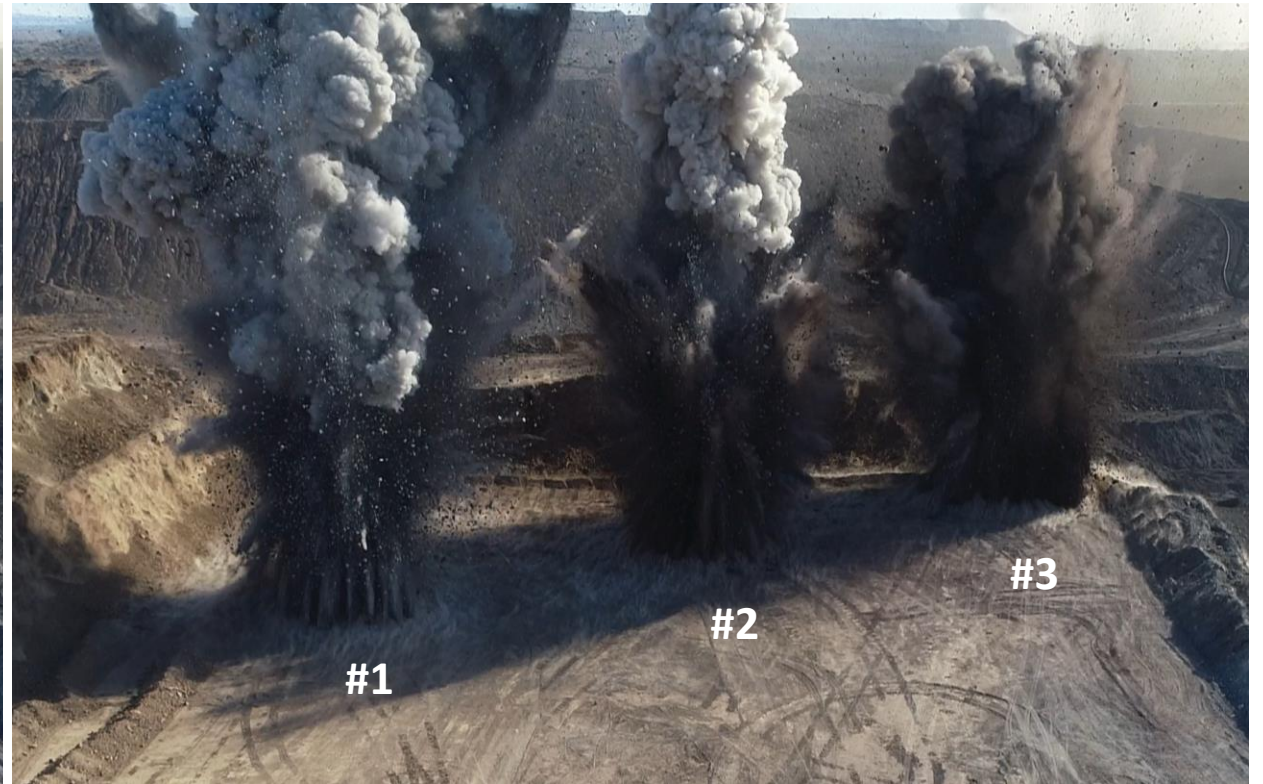
Mounding



Partial Cratering



Complete Crater Ejection



Challenge: Model Validation

- Impractical/impossible to find the fragment that is projected the maximum distance
- Need to relate projection distances to specific holes of known charge configuration
- Need a procedure that allows development of a statistically robust validation over a broad range of conditions (charging, rock)

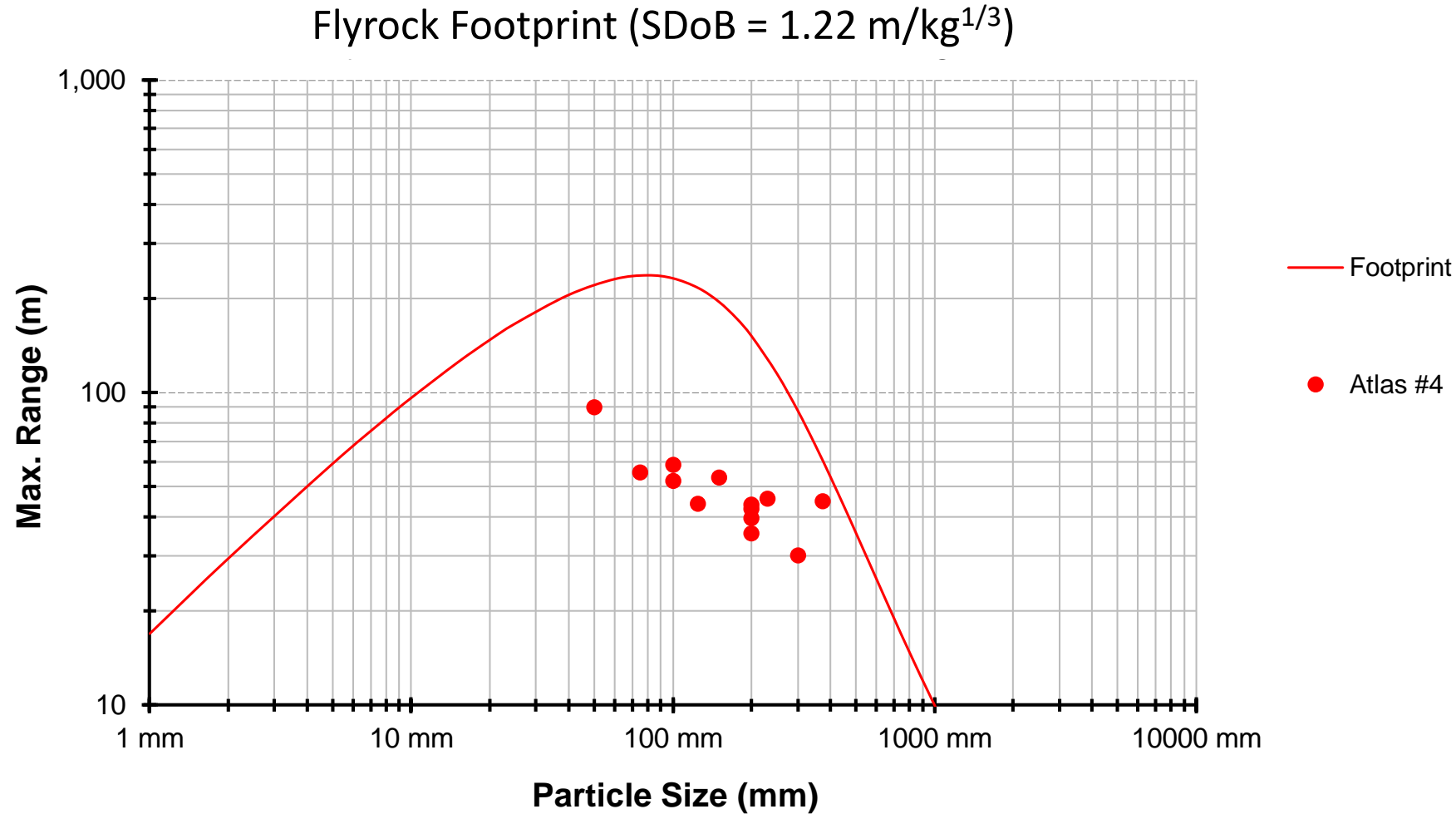
Single Hole Test



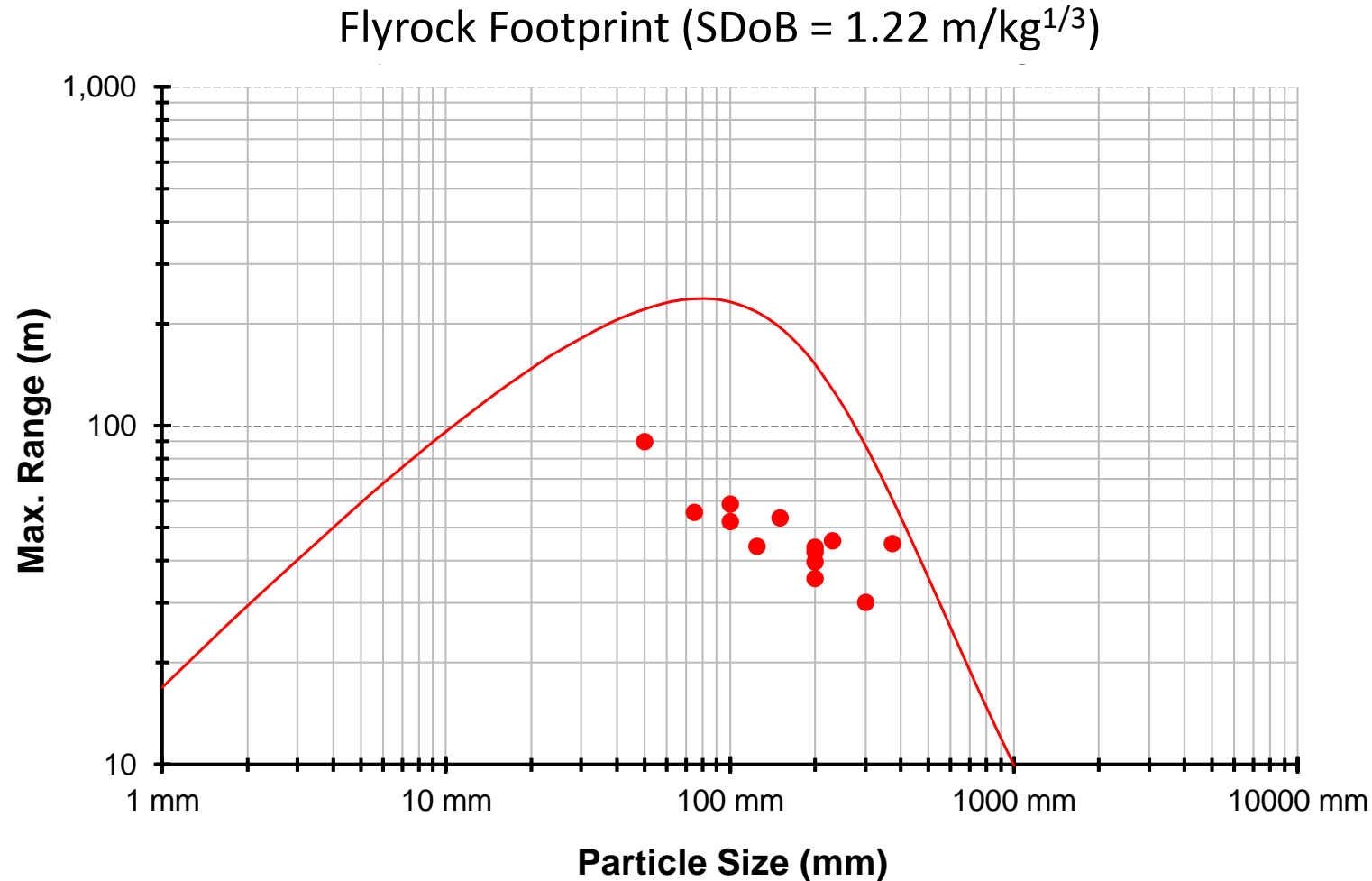
Single Hole Test



Validation: Overlaying Surveyed Fragments



Validation: Overlaying Surveyed Fragments

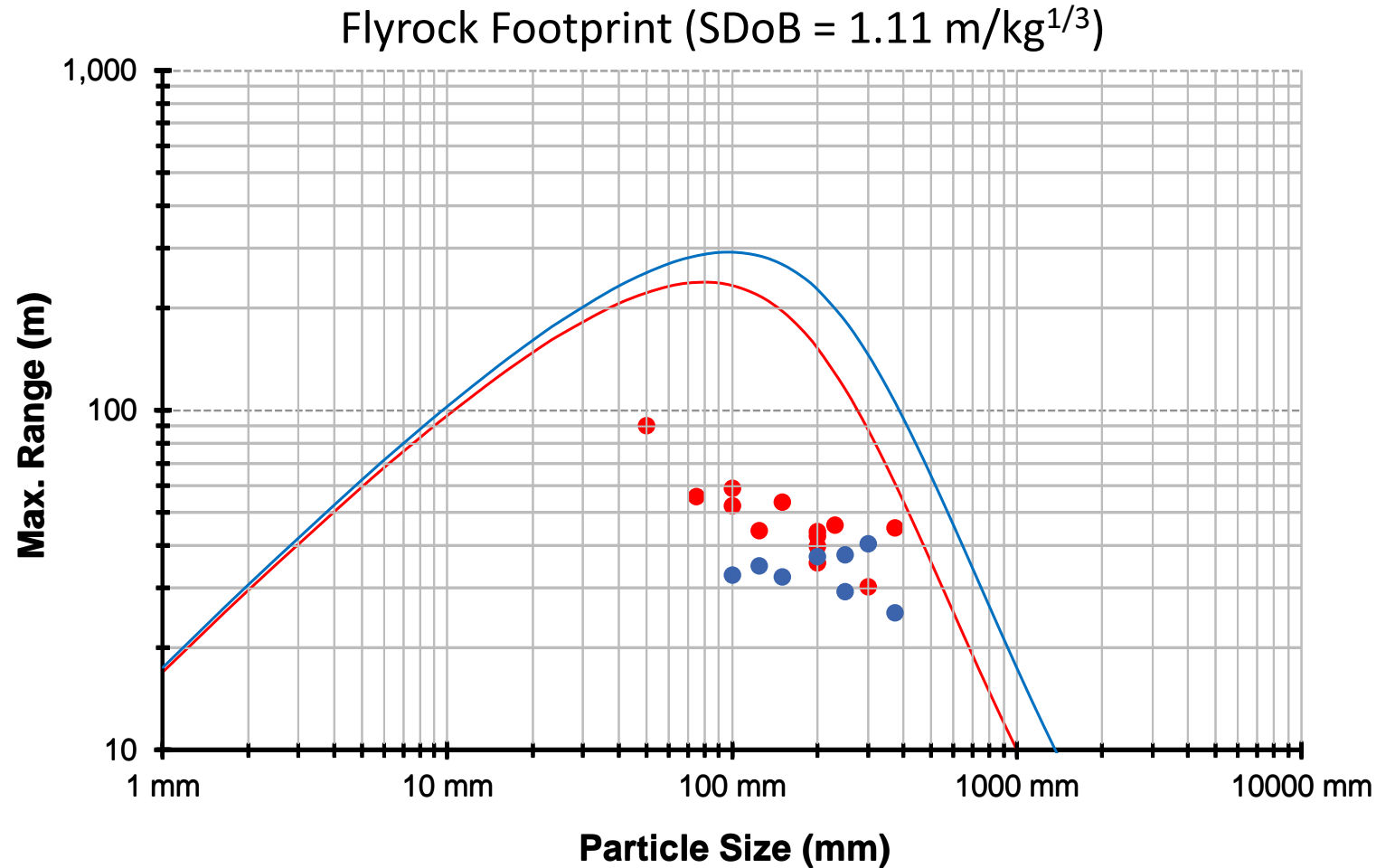


Note:

All data points must lie inside their respective footprint

Footprint curve is SDoB dependent

Validation: Overlaying Surveyed Fragments

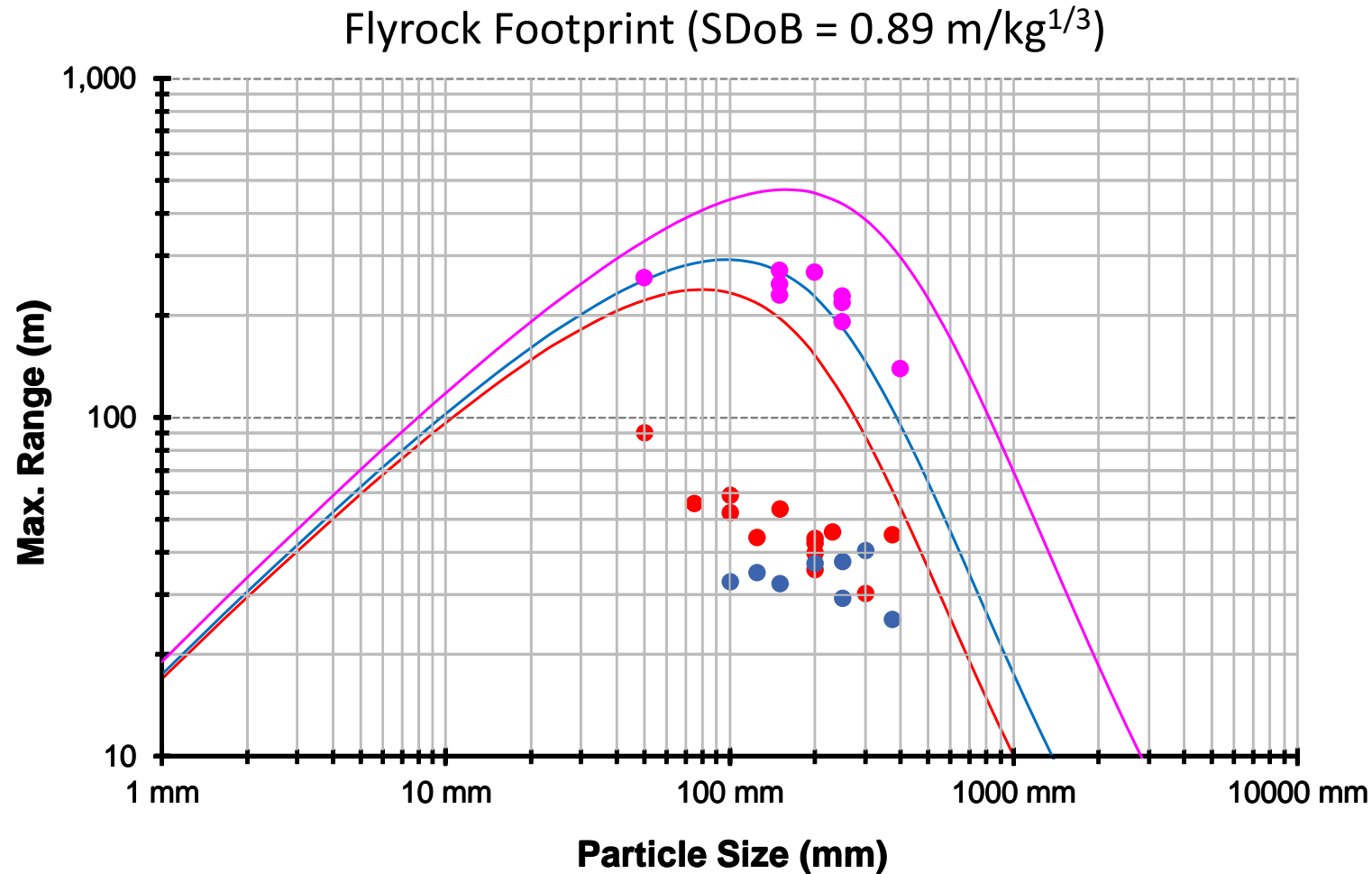


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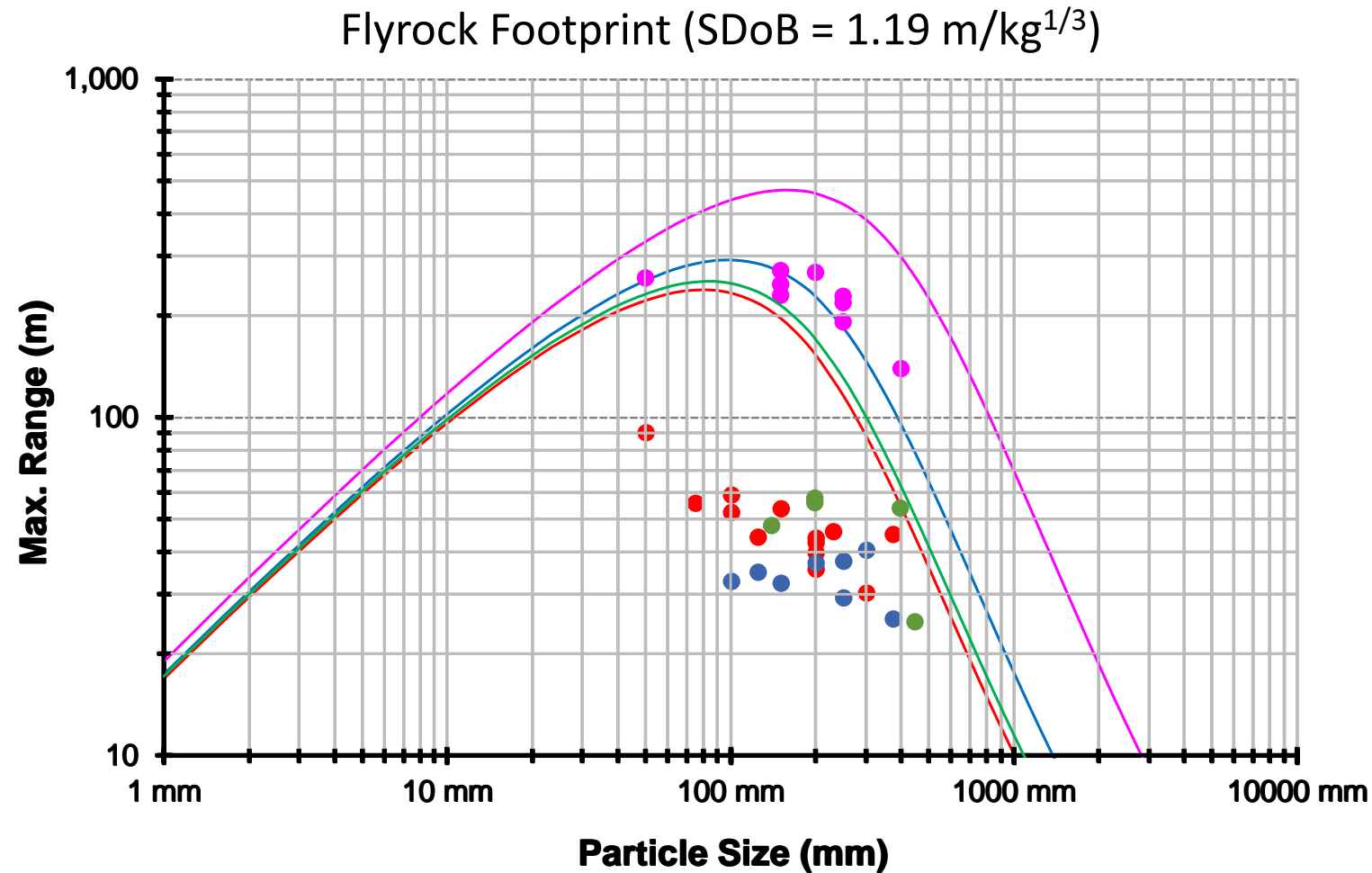


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Note:

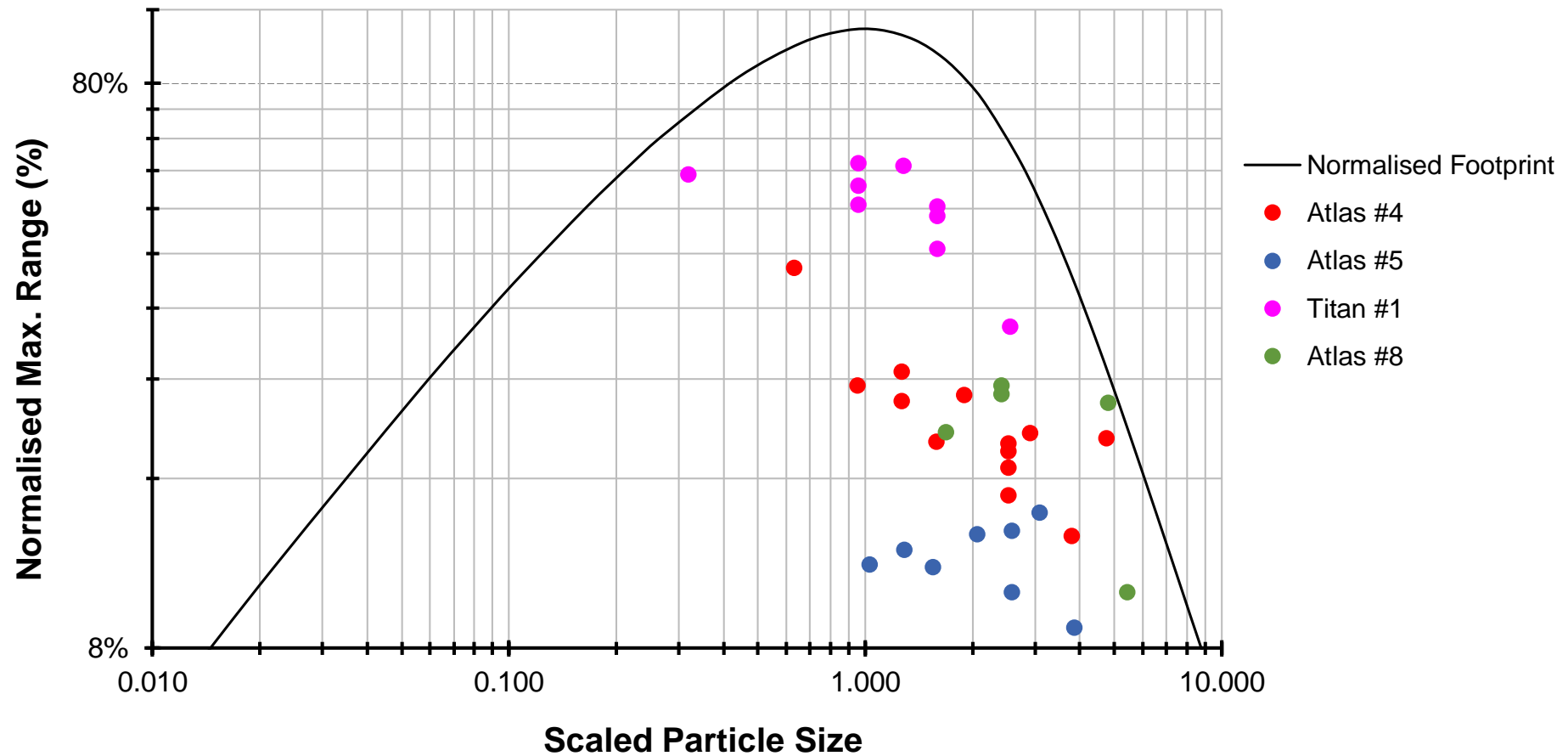
All data points must lie inside their respective footprint

Footprint curve is SDoB dependent

Flyrock Footprint Normalisation

For Launch Elevation = Impact Elevation

Normalised Flyrock Footprint (All SDoB)

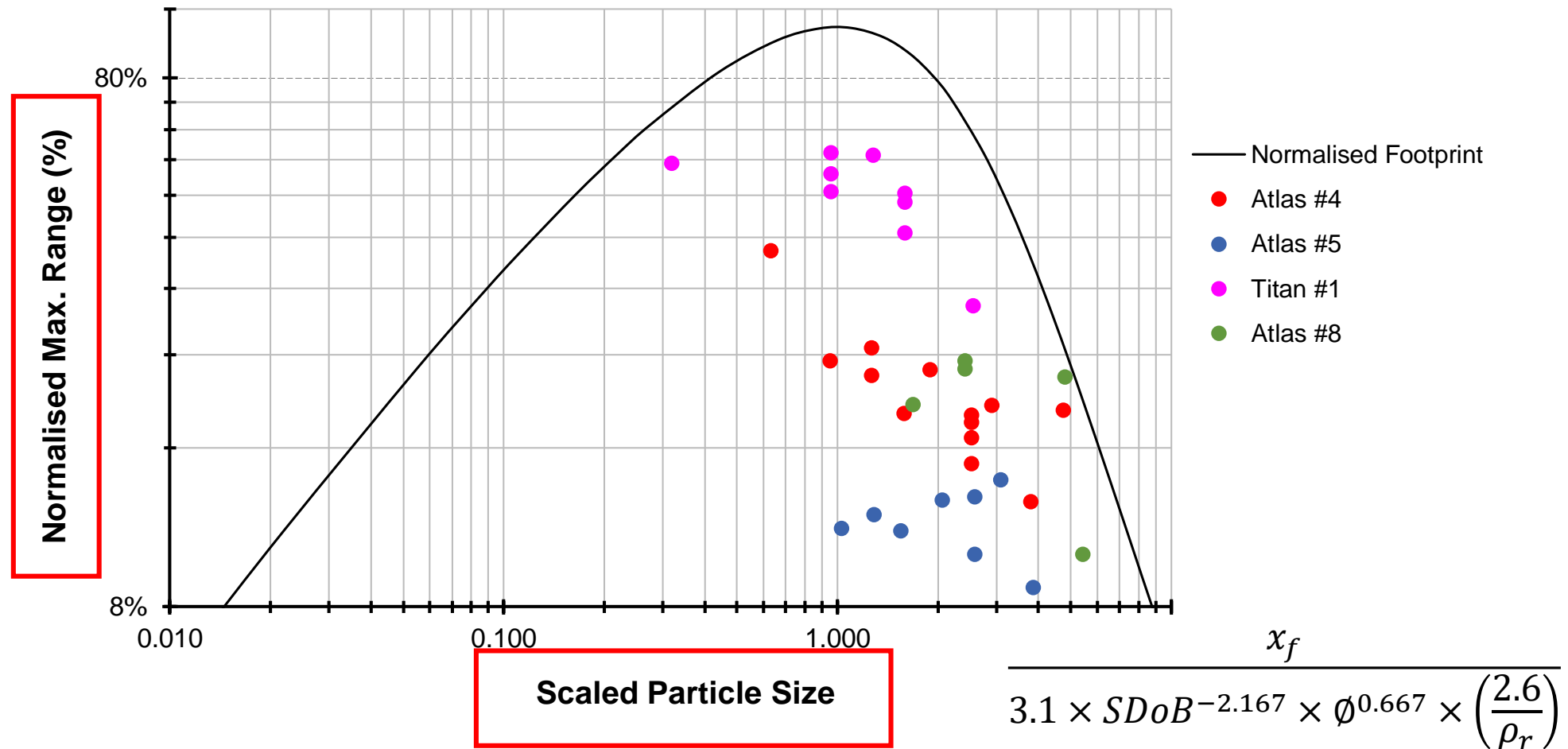


Flyrock Footprint Normalisation

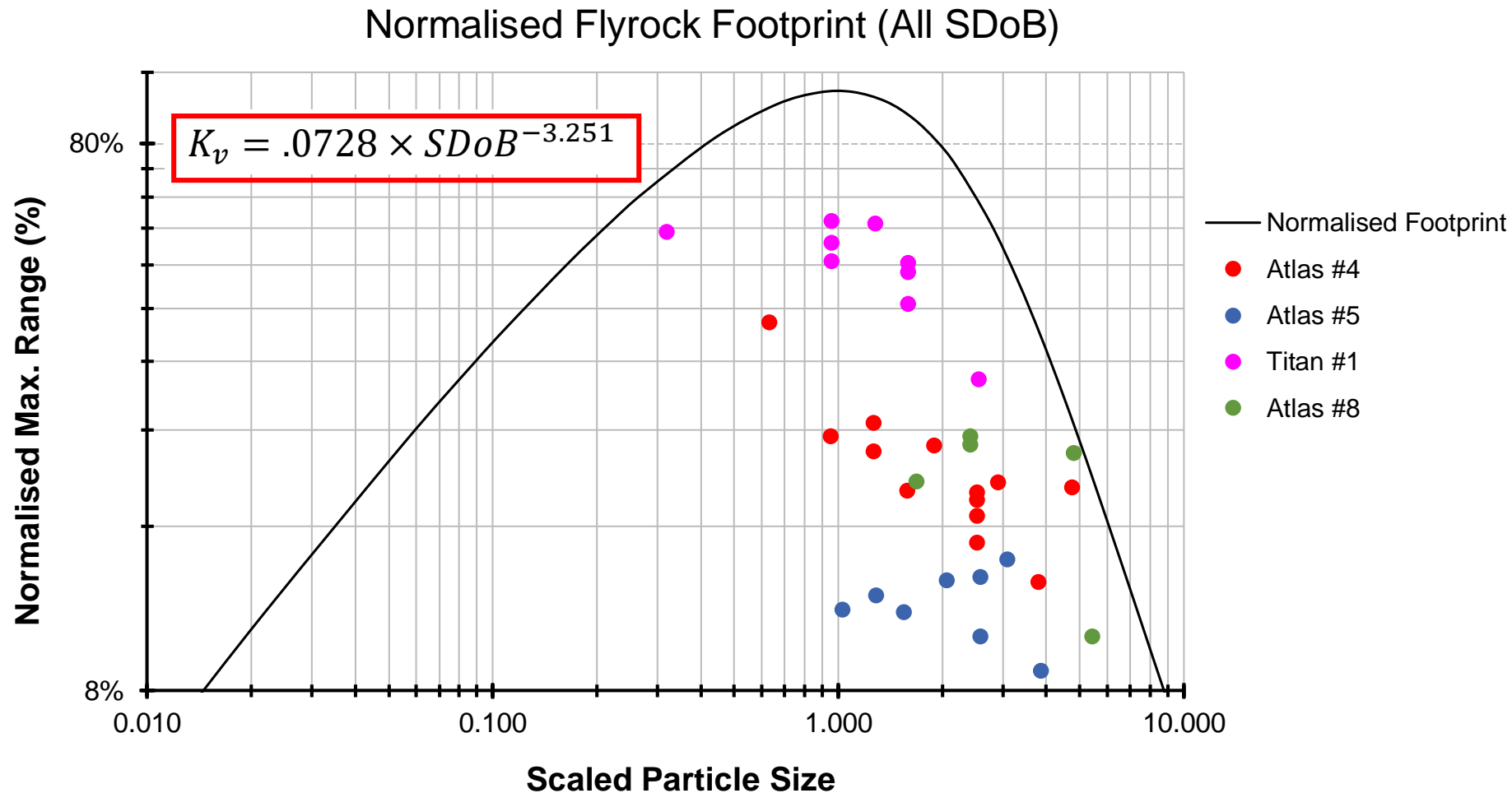
For Launch Elevation = Impact Elevation

$$\frac{\text{Range}}{10 \times SDoB^{-2.167} \times \phi^{0.667}}$$

Normalised Flyrock Footprint (All SDoB)

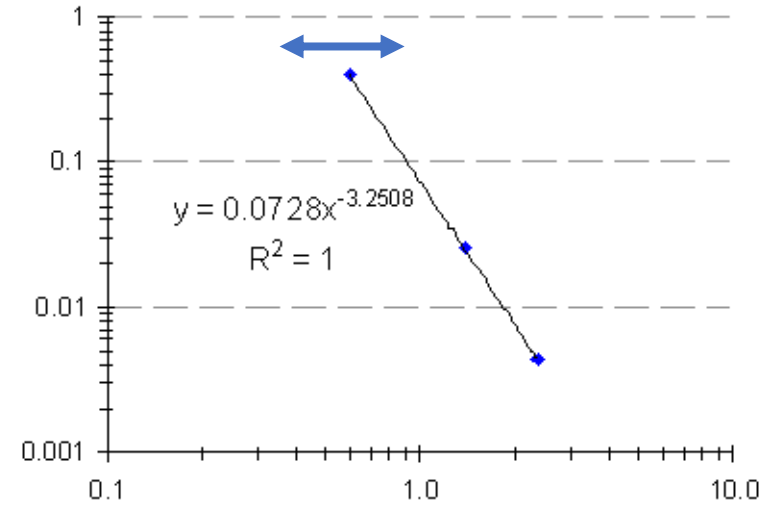
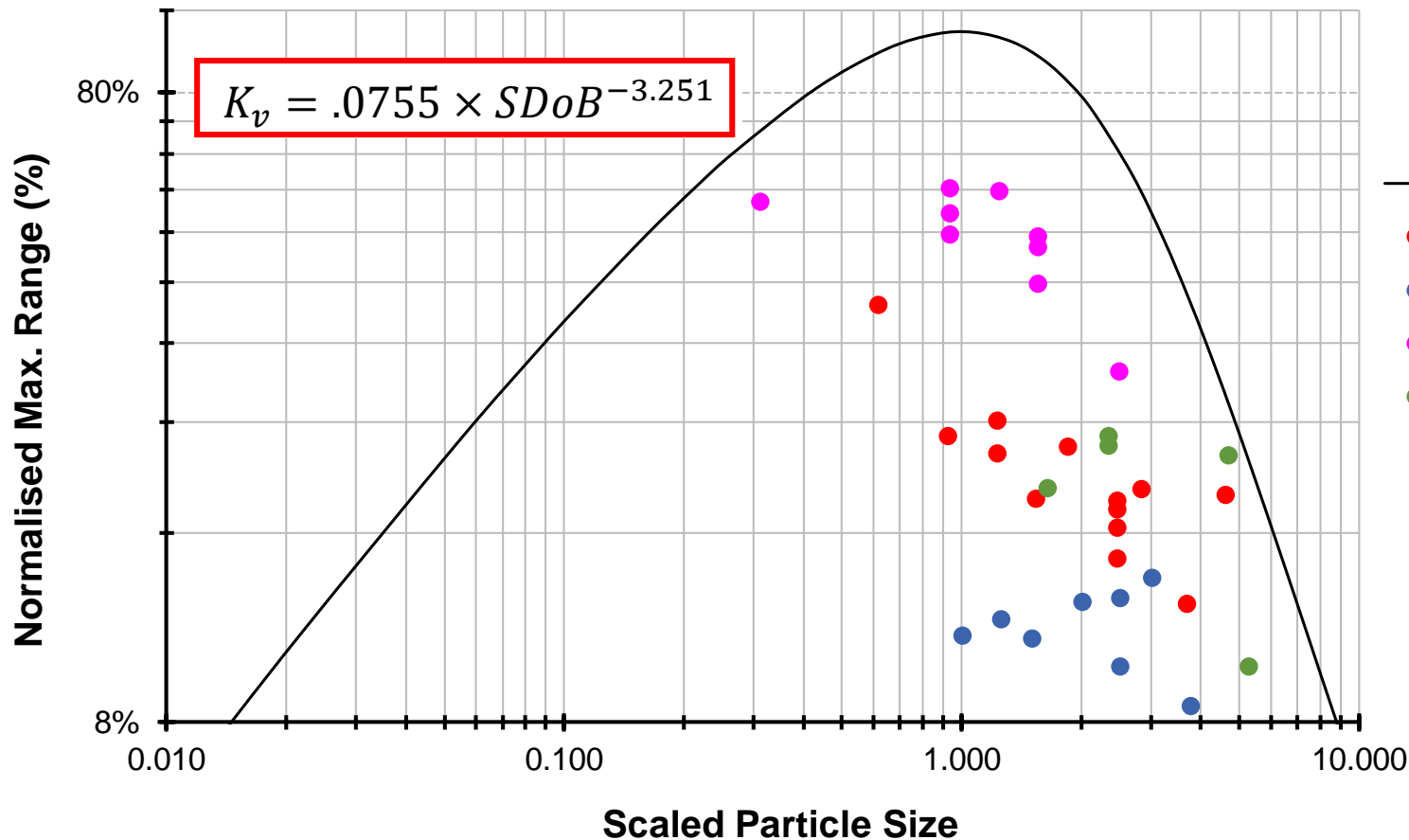


Adjusting Model Parameters



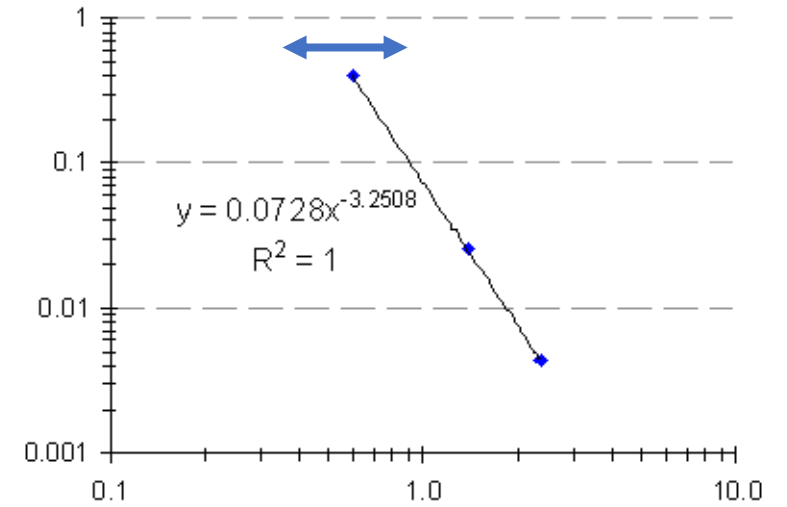
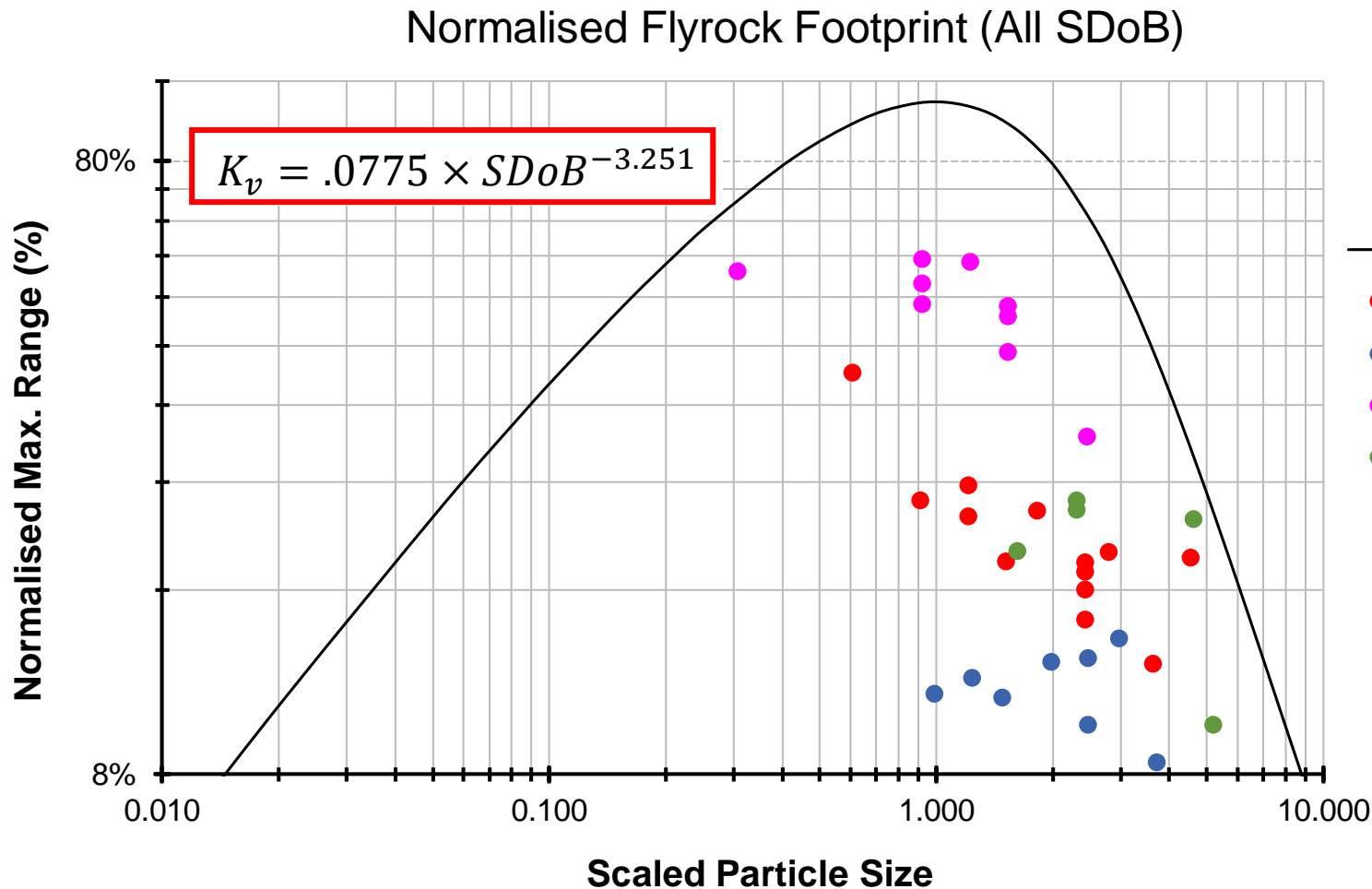
Adjusting Model Parameters

Normalised Flyrock Footprint (All SDoB)



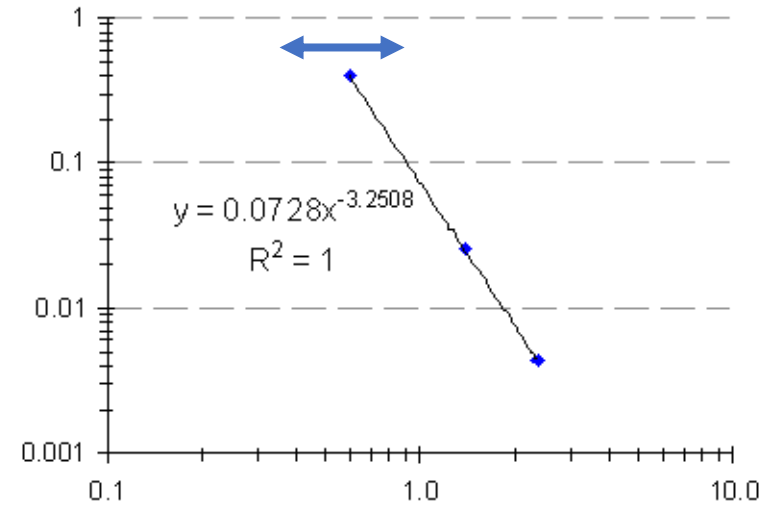
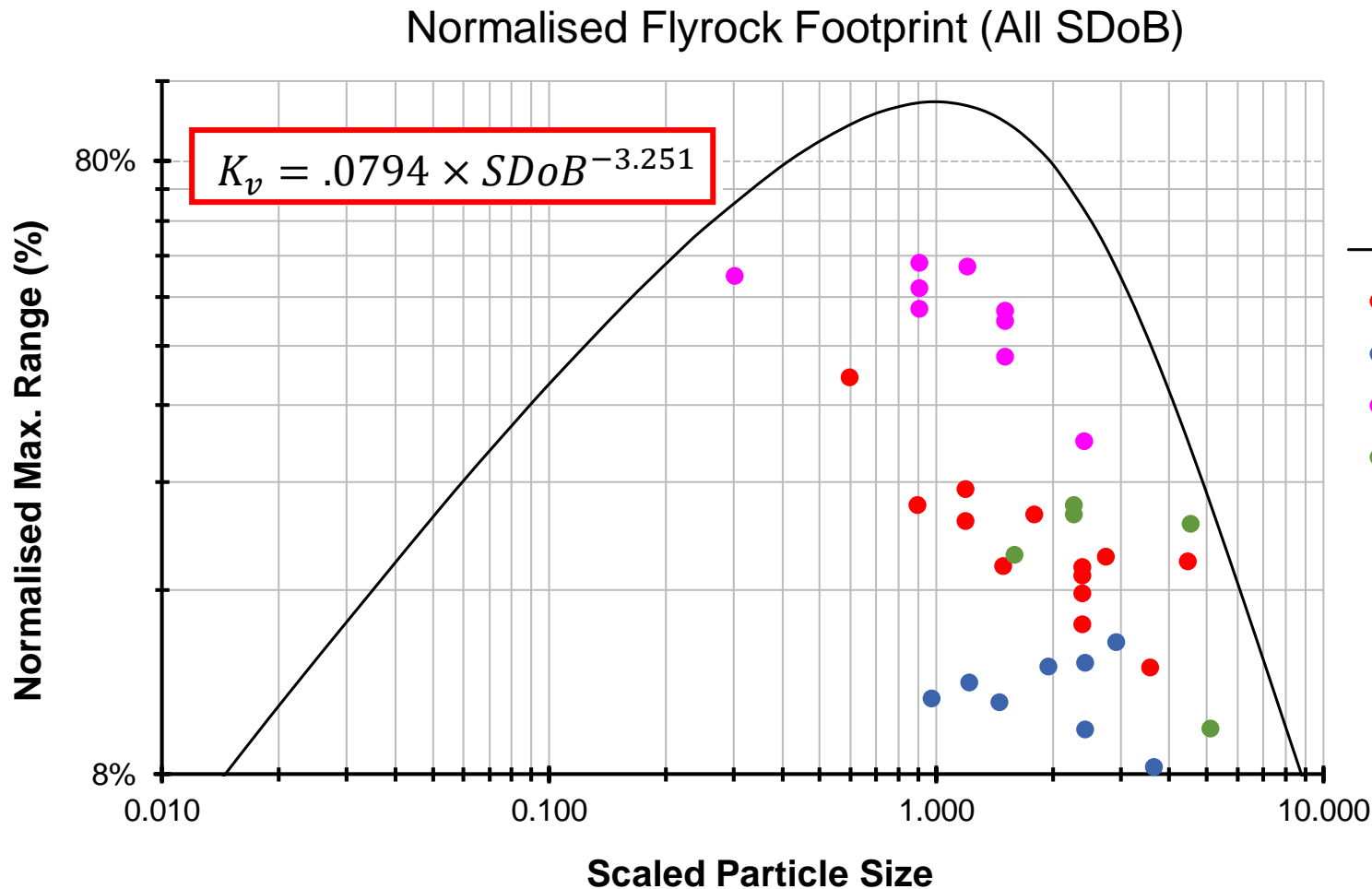
- Normalised Footprint
- Atlas #4
 - Atlas #5
 - Titan #1
 - Atlas #8

Adjusting Model Parameters



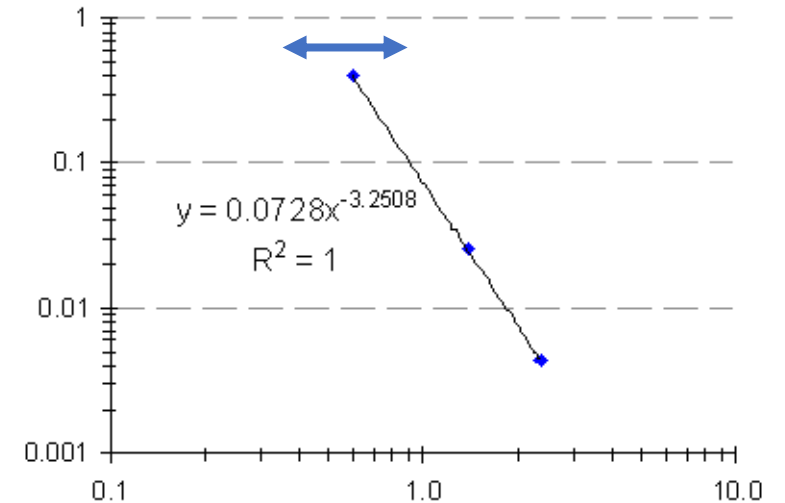
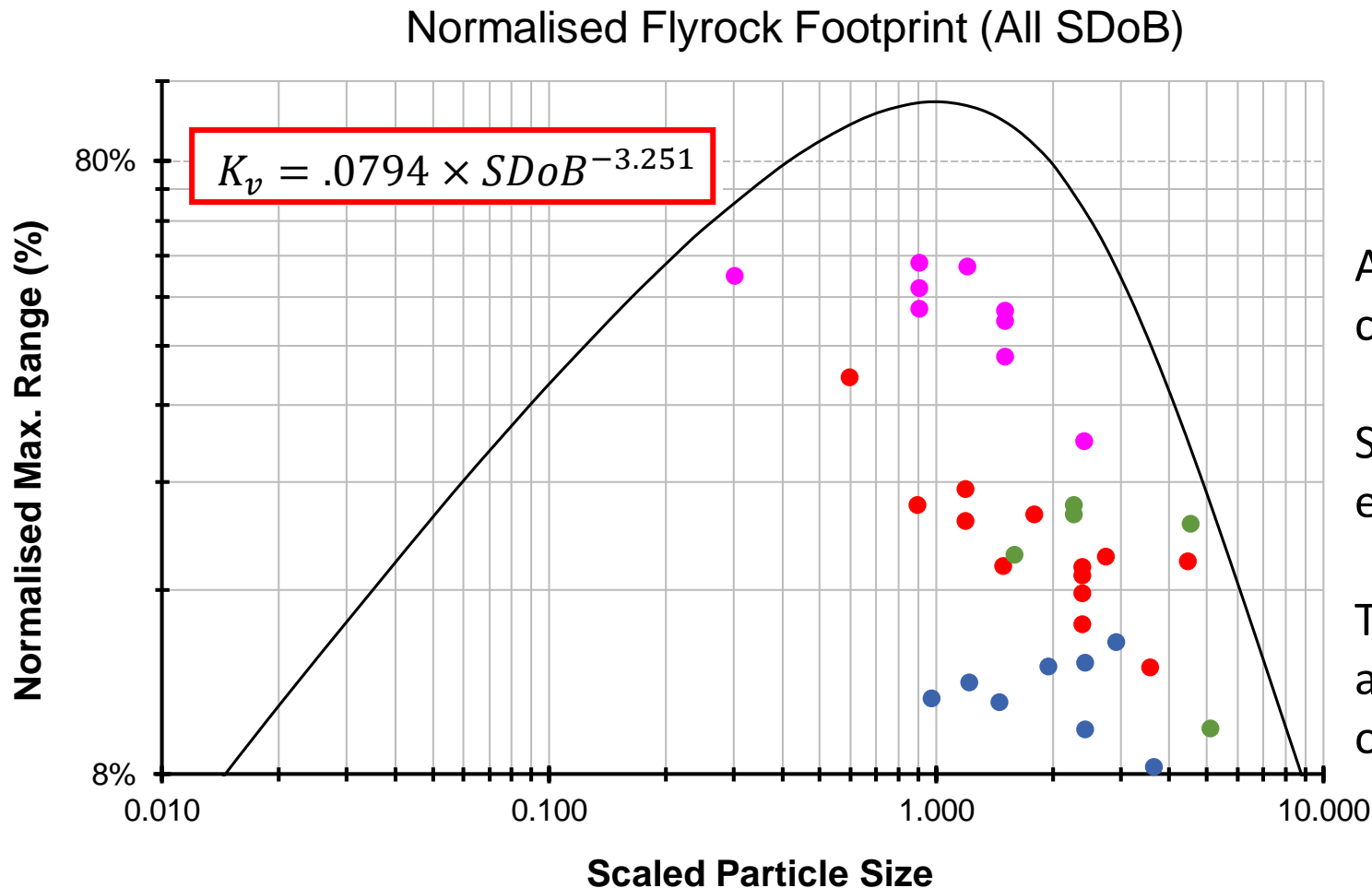
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Adjusting Model Parameters



- Normalised Footprint
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Adjusting Model Parameters



Adjustment involves the K_v v SDoB correlation

Should only be considered after extensive site measurement

To date, there is insufficient data available to justify adjustment to the original model parameters

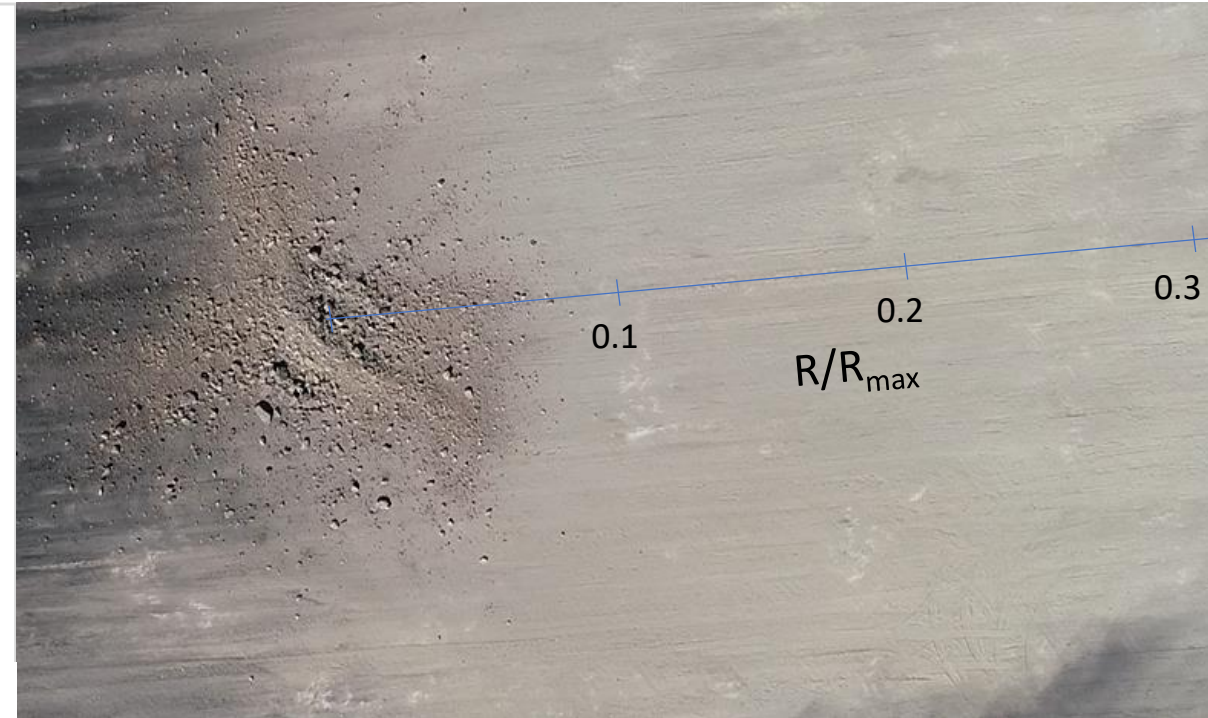
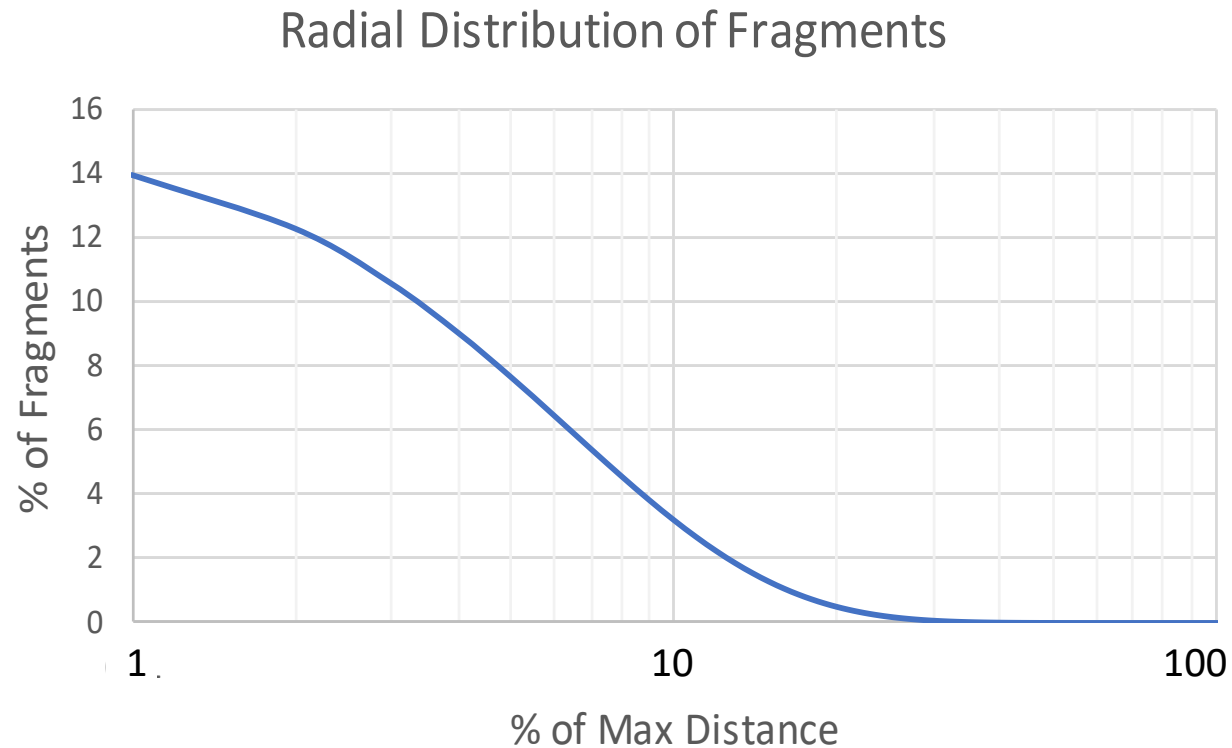
What Factor of Safety is Appropriate?

Lundborg showed that the distribution of the number of particles as a function of projection distance, R , is described by the cumulative Weibull function:

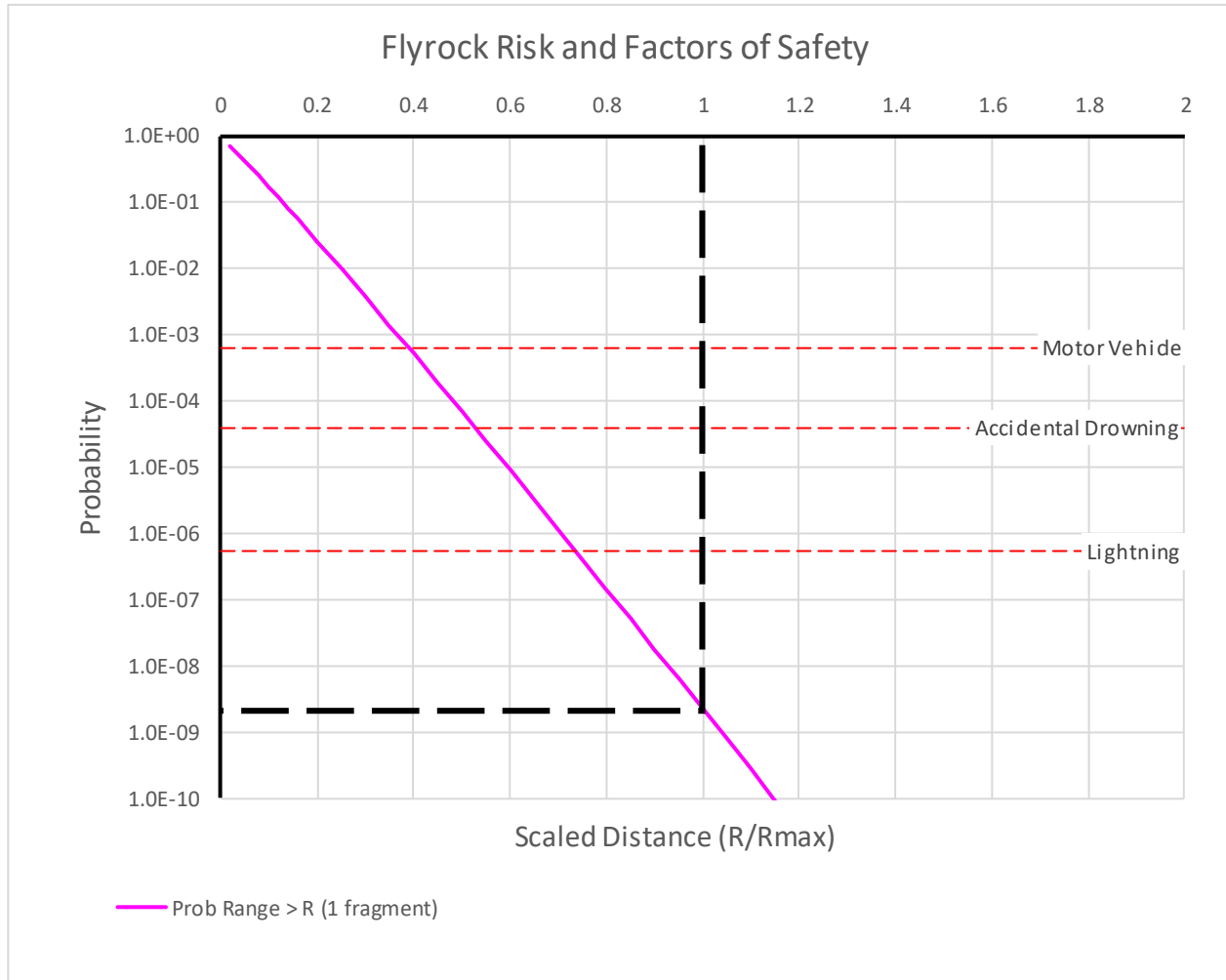
$$\text{No of Fragments} = 1 - \text{Exp} \left(- \left(\frac{R}{R_0} \right)^m \right),$$

where R_0 and m are the Weibull parameters, found by Lundborg to have values 15.3 and 1.056 respectively for field studies of flyrock fragments from a hole of 1 inch diameter. It is applied to all blasthole diameters by scaling R and R_0 to the maximum calculated projection distance for a charge of known Scaled Depth of Burial.

Radial Distribution of Fragments (Weibull)

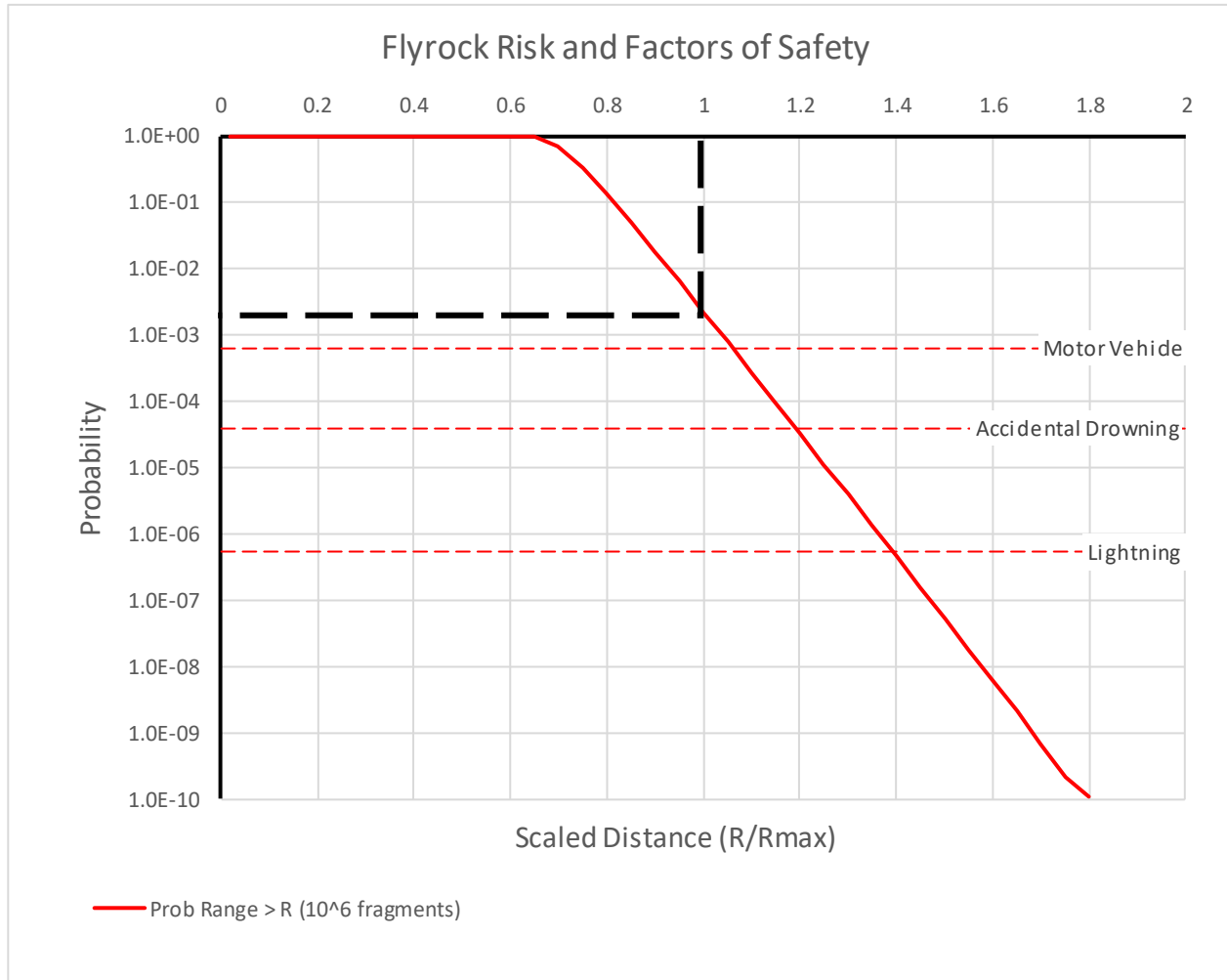


Fragment Projection Probabilities



According to Lundborg's studies and reports, the probability that a single rock will be ejected and projected more than the maximum calculated distance, R_{max} , is $\sim 2 \times 10^{-9}$

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If the hole ejects 1 million flyrock fragments, the probability that at least 1 fragment will be projected more than R_{max} is $\sim 2 \times 10^{-3}$

1 million fragments?

ilities

According to Lundborg's studies and reports, the probability that a single rock will be ejected and travel more than the maximum calculated range, R_{\max} , is $\sim 2 \times 10^{-9}$

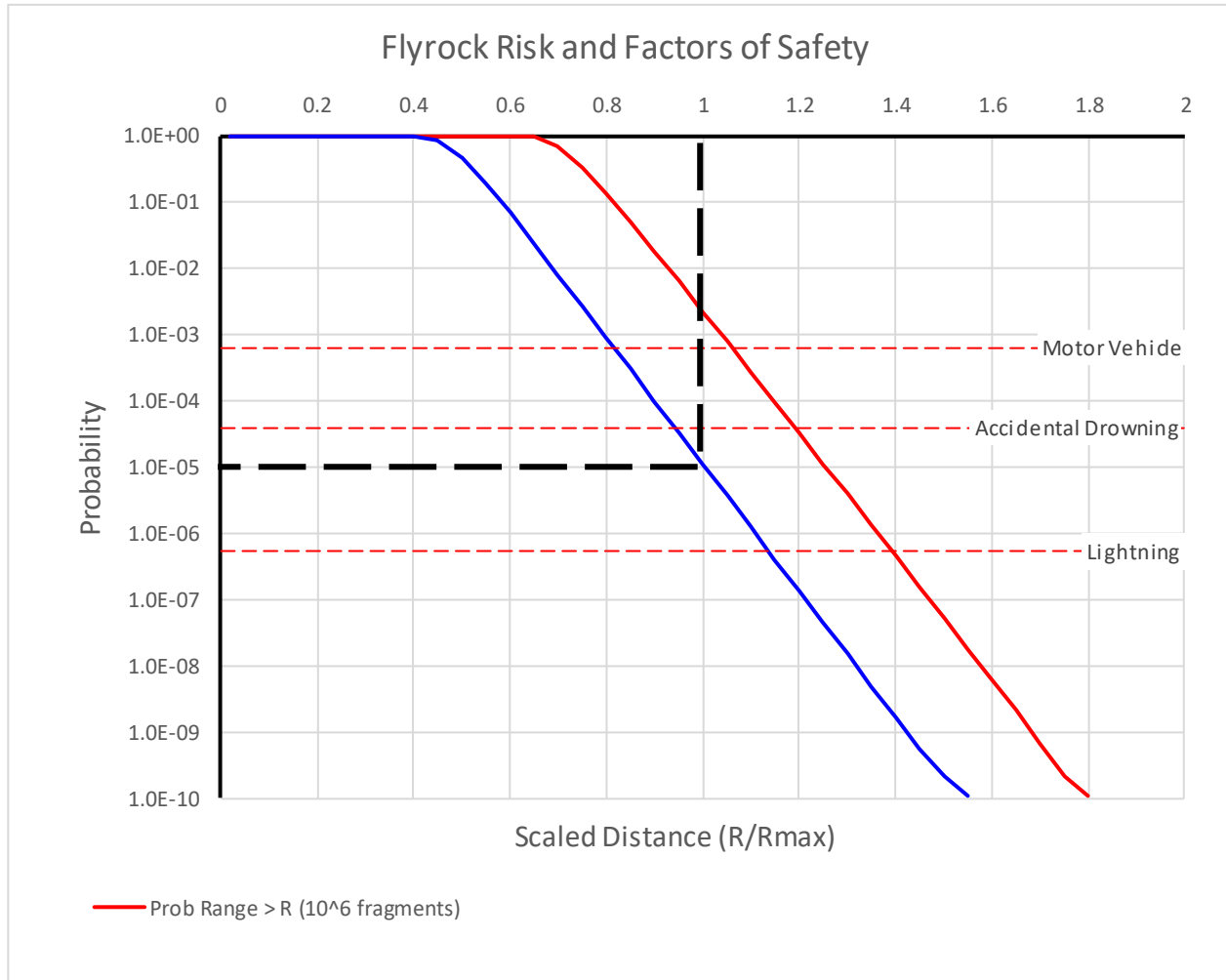
If a vehicle ejects 1 million flyrock fragments, the probability that at least 1 fragment will be projected beyond R_{\max} is $\sim 2 \times 10^{-3}$

If a vehicle ejects 1 million rock fragments the probability that at least 1 fragment will strike an area 10 m^2 (cab area of LV or truck) at R_{\max} is ~ 0.002 , or 13 times more likely than a fatal fog strike. A FoS is needed.

By adding 20% FoS to R_{\max} , the probabilities are increased by a factor of ~ 100

Assumes 1 million fragments ejected

Fragment Projection Probabilities



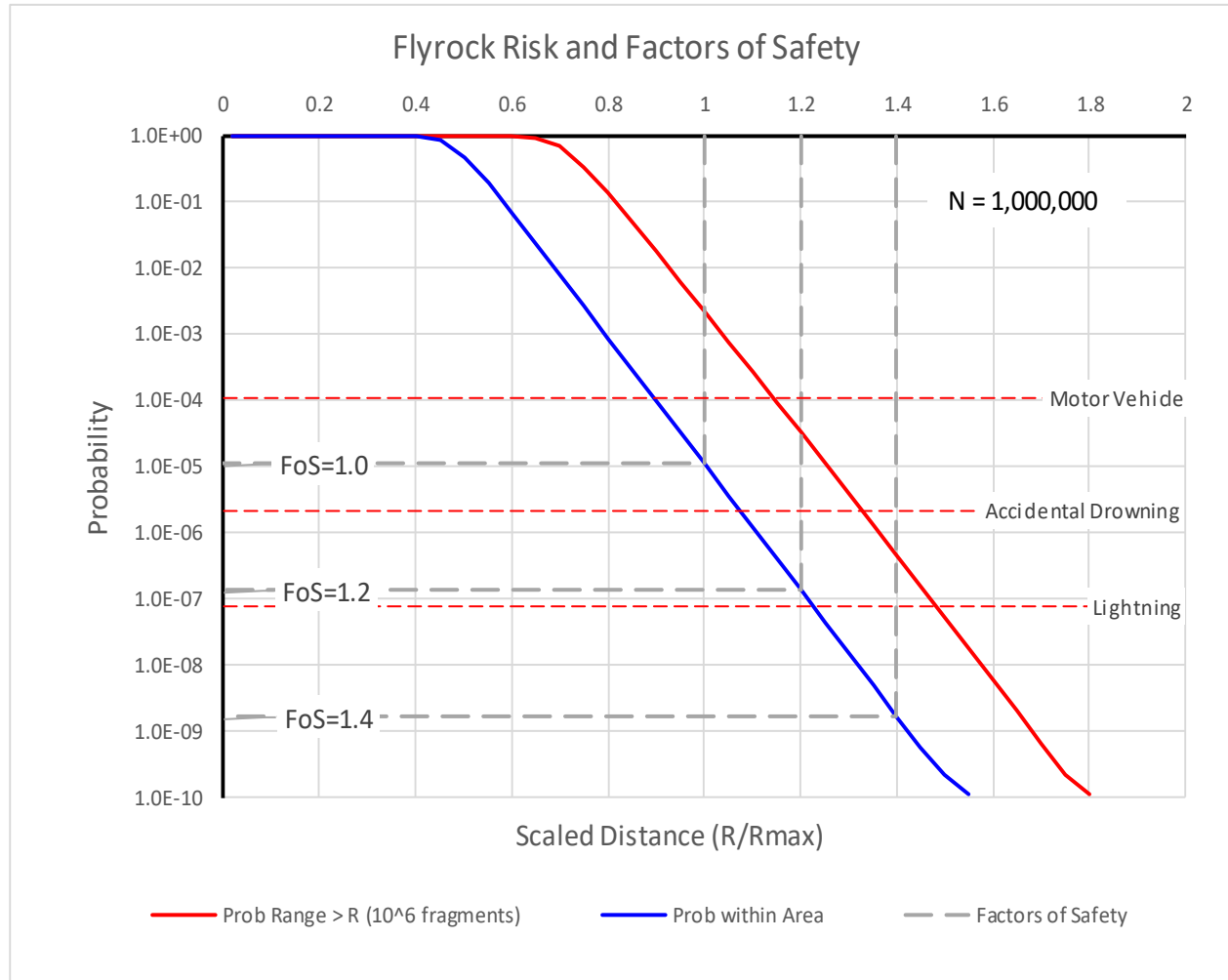
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If the hole ejects 1 million flyrock fragments, the probability that at least 1 fragment will be projected more than R_{max} is $\sim 2 \times 10^{-3}$

If a hole ejects 1 million rock fragments the probability that at least 1 fragment will strike an area of 10 m^2 (cab area of LV or truck) at R_{max} is $\sim 1:100,000$, or 13 times more likely than a fatal lightning strike. A FoS is needed.

Fragment Projection Probabilities



Assumes 1 million fragments ejected

According to Lundborg's studies and reports, the probability that a single rock will be ejected and projected more than the maximum calculated distance, R_{max} , is $\sim 2 \times 10^{-9}$

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If a hole ejects 1 million rock fragments the probability that at least 1 fragment will strike an area of 10 m^2 (cab area of LV or truck) at R_{max} is $\sim 1:100,000$, or 13 times more likely than a fatal lightning strike. A FoS is needed.

For every 20% FoS added to R_{max} , the probabilities reduce by a factor of ~ 100

Conclusions (1)

- It is not straightforward to generate flyrock. Worst case conditions appear to be for a single hole in which the charge is well-confined in solid rock and the stemming is in disturbed or broken material.
- The flyrock model of McKenzie (2009) appears to predict maximum projection distances, for worst case conditions, over a wide range of fragment sizes, to within 10%. No data has been collected to suggest the model is under-predicting maximum projection distances, but much more testing is required.
- The model can be quite easily validated for site-specific conditions from field tests, though many tests are required for a reliable validation.

Conclusions (2)

- Flyrock fragments from any diameter hole, any blasting operation, with any length of stemming and any type of explosive can be added to the universal footprint to test the model's validity.
- Safe clearance distances can be calculated for blasts of any known charging configuration.
- Modelling must use actual charge configurations for every hole, and a Factor of Safety determined from a formal Risk Analysis. This requires a strict and verifiable quality control process.
- Factors of Safety do not need to be large to make very substantial reductions in Risk Factor.

Thank you for your interest. Are there any questions?